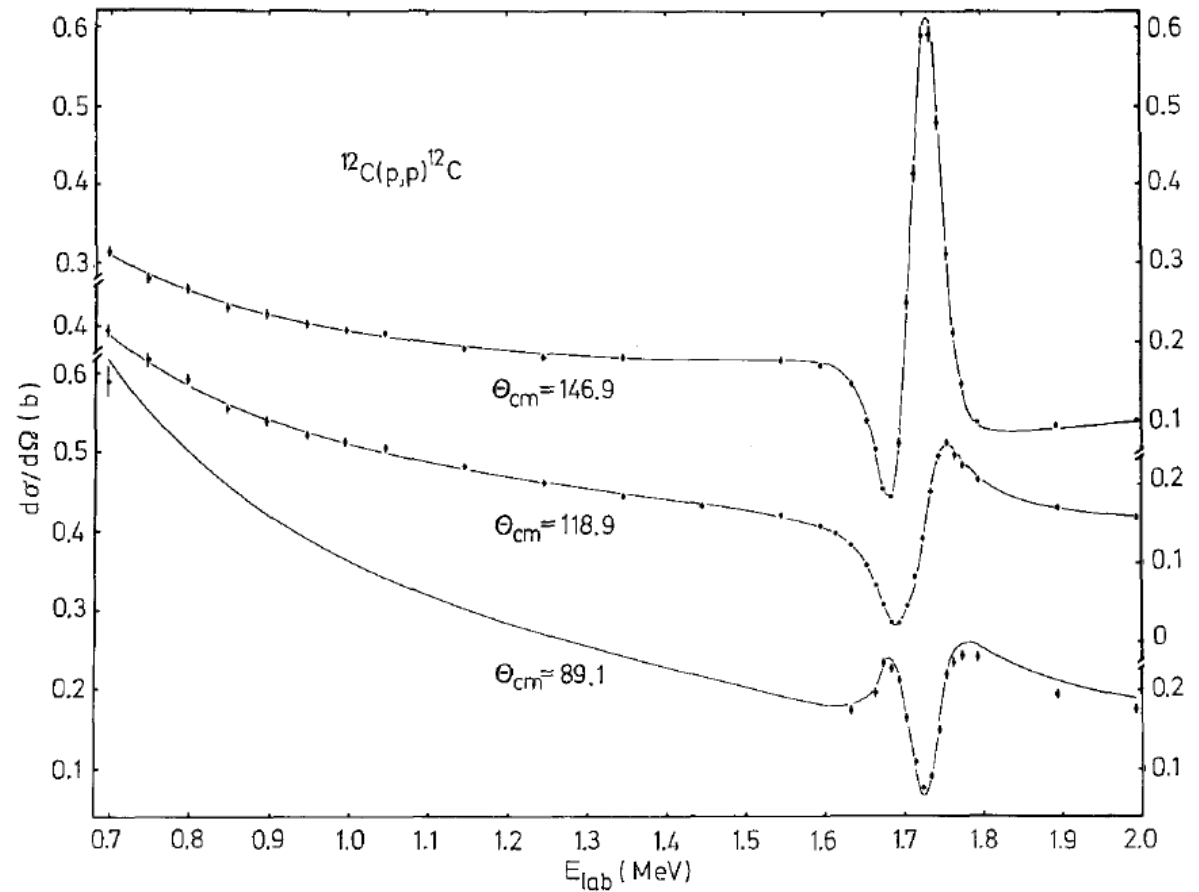
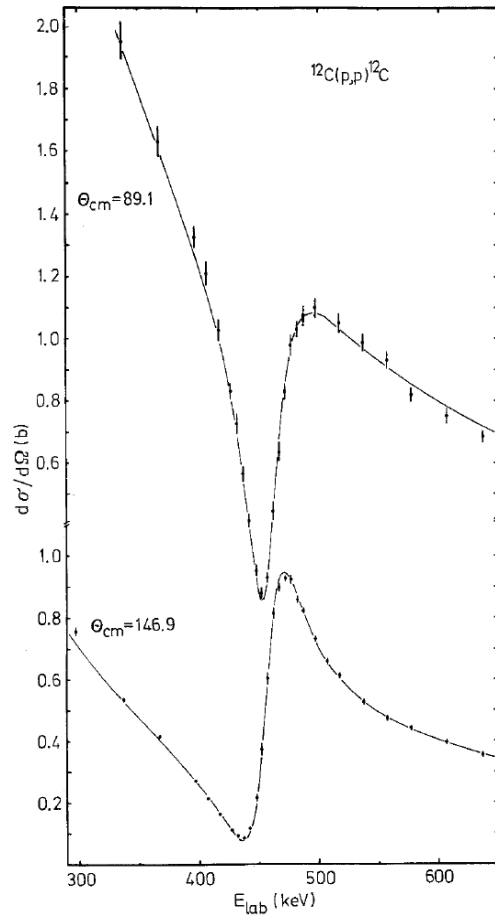


Example 2: $^{12}\text{C}(p,p_0), ^{13}\text{N}$ CN

- Charged particle scattering



$^{12}\text{C}(p,p_0)$ Summary

- The ideal case for R-matrix
- Low level density
- Isolated set of levels near threshold
- Resonances not too broad

Almost 3 MeV gap

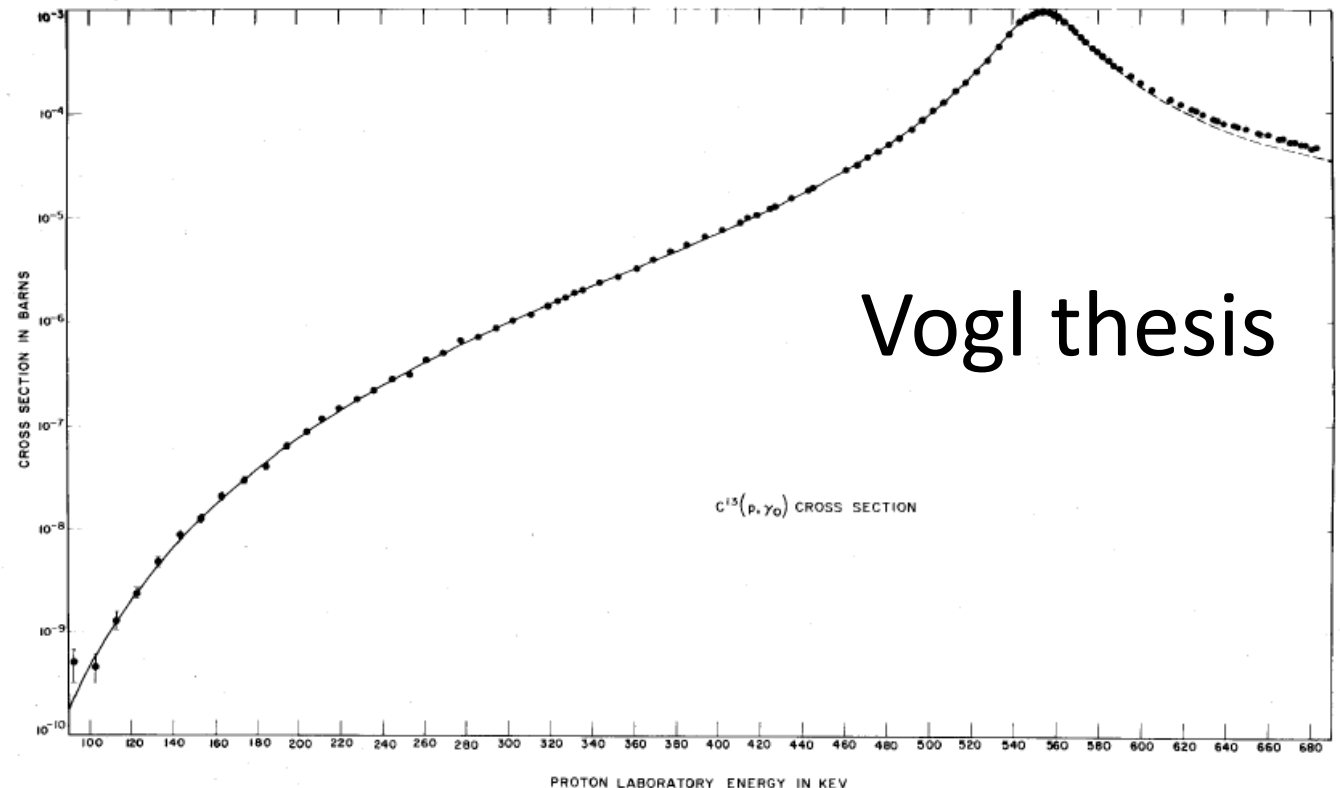
E_{level} (keV)	XREF	$J\pi$	$T_{1/2}$
0.0	A DE GHIJKLM	1/2-	9.965 m 4 % $\epsilon = 100$
2364.9 6	DEFGHI K	1/2+	31.7 keV 8 % IT = 0.00158 13 % p = 100
3502 2	A DEFGHIJK	3/2-	62 keV 4 % IT = 0.0011 % p = 100
3547 4	D FGHI K	5/2+	47 keV 7 % p = 100 % IT < 4.3E-6
6364 9	CD FGH KL	5/2+	11 keV % p = 100
6886 8	CD FGH K	3/2+	115 keV 5 % p = 100
7155 5	CD FGH K	7/2+	9.0 keV 5 % p = 100
7376 9	A CD FGHIJKL	5/2-	75 keV 5 % p = 100
7900	FG	3/2+	≈ 1500 keV % p = 100
8918 11	A D FG IJ L	1/2-	230 keV % p = 100
9000	C GH J	9/2+	280 keV 30
9476 8	A CD FGH J	3/2-	30 keV % p = 100
1025E+1 15	E	(1/2+)	≈ 280 keV % IT = ? % p = ?
10360	A CD FGH	5/2-	30 keV % p = 100

Quick comments on capture reactions

- Electromagnetic interaction is not included in nonrelativistic R-matrix
- Included using perturbation theory
 - Capture cross section (x,γ) are usually about 1000 times smaller than nuclear cross sections (e.g. mb vs ub)
- Unitarity is not conserved for capture reactions
 - i.e. capture channels are not included in S-matrix sums
- **WARNING!** This formalism is not applicable for low energy (n,γ) reactions where the cross section of (n,γ) can approach that of (n,n)
 - i.e. if $\Gamma_\gamma > \text{or } = \Gamma_n$
 - Must then use Reich-Moore formalism

Example 3: $^{12}\text{C}(p,\gamma)^{13}\text{N}$ --- capture reaction

- Simple capture example
- Vogl thesis (1963), Burtebaev et al. (2008), and Rolfs and Azuma (1974)
- $^{12}\text{C}(p,\gamma)$ cross section is about 1000 less than $^{12}\text{C}(p,p)$
 - Γ_p about keV, Γ_γ about eV
- Fit simultaneously with $^{12}\text{C}(p,p_0)$



- Rolfs data inconsistent at lower energies
- Just taking data above 1 MeV

